

An Optimal Excitation Scheme for ^1H -MRS? Insights from Magnetic Resonance Fingerprinting Monte Carlo Simulations

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Introduction

Brain metabolite concentrations and relaxation values (T_1 , T_2) can change in various pathologies. Not only do such changes carry diagnostic value [1], but accurate per-subject knowledge of T_1 , T_2 , and transmit inhomogeneity (B_{1+}) is necessary for absolute quantification. Our recently proposed spectroscopic fingerprinting (MRSF) framework [2] can simultaneously quantify concentrations, T_1 , T_2 and B_{1+} values within clinical scan times. Previous work had shown that reducing schedule length in favour of SNR can improve estimation accuracy [3]. Our aim was to numerically optimize the MRSF schedule and schedule length to further improve T_1 , T_2 and concentration estimation.

Methods

To estimate the effect of trading schedule length and SNR we tested eight MRSF schedules lengths: $N=5, 10, 15, 20, 25, 50, 60$ and 100 . For all schedules the total measurement time (TA) was set to 6 min. Flip angles ($30^\circ \leq FA \leq 150^\circ$), repetition times ($550\text{ms} \leq TR$ and $\sum_n TR_n = N \cdot 0.6 \text{ (sec)}$) and echo times ($40\text{ms} \leq TE \leq 150\text{ms}$) were optimized using MATLAB's genetic algorithm toolbox (GA, The Mathworks 2017a) to minimize the mean CV: $CV \equiv \min_{FA_n, TR_n, TE_n} \sum_{i=1, j=1}^{4,3} CV(T_1^i) + CV(T_2^j)$, with

$CV(T_1) = \sqrt{(T_1^{variance})^2 + (T_1^{bias})^2} / \bar{T}_1$ and $CV(T_2) = \sqrt{(T_2^{variance})^2 + (T_2^{bias})^2} / \bar{T}_2$. \bar{T}_1, \bar{T}_2 are averaged across a range of in-vivo values. Bias and variance were calculated using Monte-Carlo simulation, keeping the same SNR per unit time. Monte-Carlo simulations were used to assess the performance of each schedule (SNR per single, fully relaxed, 90° pulse excitation = 10), averaging T_1 and T_2 coefficients of variation (CVs) over $T_1 \in [750, 1650]$ ms and $T_2 \in [125, 350]$ ms.

Results

Fig. 1 plots the average CV as a function of schedule length, showing optimal schedules require only a relatively small number (10-25) points. The optimized FAs and TEs for all schedules ($N=5, 10 \dots 100$) are plotted in Fig. 2, where they naturally form four distinct clusters around $FA=30^\circ$, 109° and $TE=40, 120$ ms, regardless of schedule length.

Discussion

Our computer simulations indicate short MRSF schedules are preferable in an RMSE sense. Such short schedules can be more easily combined with spectroscopic imaging or J-coupling encoding. Furthermore, the clustering of schedule flip angles and echo times indicates the parameter space of MRS is, in fact, discrete, due to some yet-unknown underlying structure. This can be used to considerably speed up subsequent optimizations.

Conclusion

We have shown that reducing schedule length in favor of SNR can reduce T_1 and T_2 estimation errors, with optimal schedule lengths of $N=15$ points, with a CV of 8.7% (Averaged over a range of typical in-vivo T_1 and T_2 values).

References

[1] Il Kirov et al, Radiology 254(3):858-866 (2010); [2] A Kulpanovich, NMR in Biomed (in print); [3] A Kulpanovich, Poster #1329, Intl. Soc. Mag. Reson. Med., Paris (2018)

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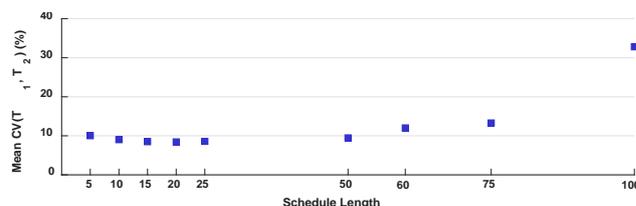


Figure 1. Schedule root mean square error (RMSE) as a function of its length (total number of excitations).

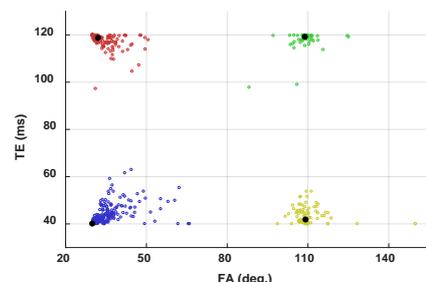


Figure 2. Flip angle and echo time clusters. Black dot marks the centre of the cluster.

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